

# **Multiple Speaker Feedback loops simulated within Python**

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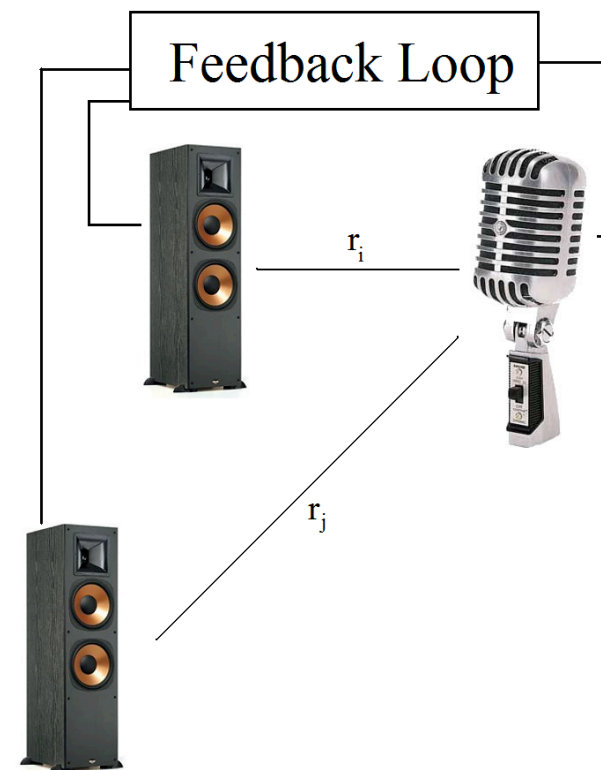
# Overview

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- System setup
- Ways to model it
- Some of the results
- Butchering of music
- Questions

# System layout

- Multiple speakers at different distances from the microphone
- There could be n-speakers in the system
- Although not explored there could also be m-microphones in the system
- The Feedback Loop is not contained to be any one function (amplification, logistic map...)
- In theory you could make your own chorus/acapella with this setup



# Modeling of the system

- Choose a simplest approach model to the system, viewing the distance as a time it takes for the sound to arrive at the microphone
- An initial signal will be inputted after that no other signal will be inputted

## Modeling continued:

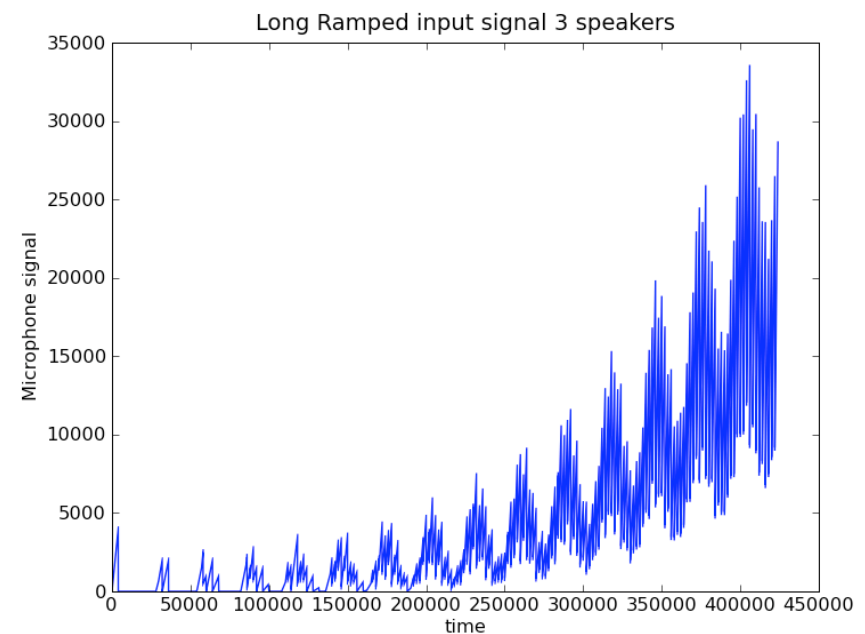
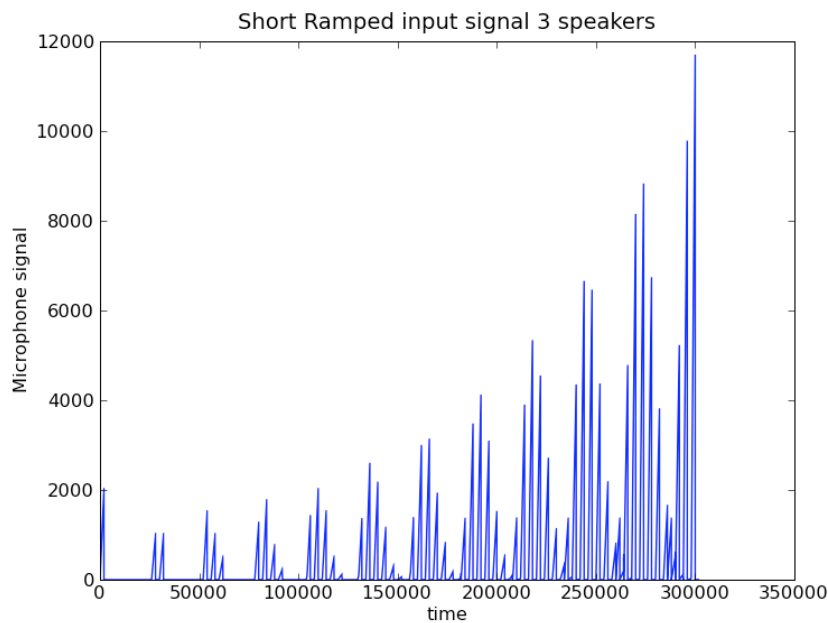
- If we call  $g(t)$  our microphone signal being received at a given time,  $\tau$  being our delay and  $f(t)$  our original signal
- $h(x,y)$  will return 0 if  $y < 0$  otherwise it will perform an operator of our choosing on  $x$
- We obtain the following expression

$$g(t) = \sum_i h_i(g(t - \tau_i), t - \tau_i) + f(t)$$

## Some of the results

- For a simple feedback circuit of  $r^*$  signal
- The first attempts show that we have an unstable fixed point at with two speakers  $r = 0.5$  converging to some non-zero value at  $t = \text{infinity}$ , values less than 0.5 converge to zero and values greater than 0.5 go to infinity
- With three speakers the fixed point seems to move to  $r = 4/3$
- There is evidence that a signal will also exhibit patterns of its inherited seeded signal such as a ramp function being evident as it explodes to infinity

# 3 Speaker ramped results:



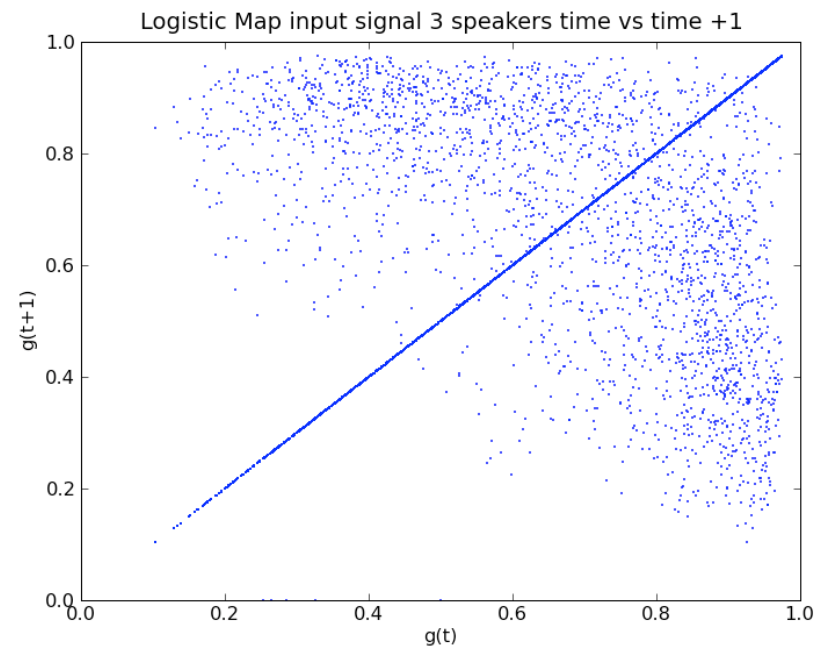
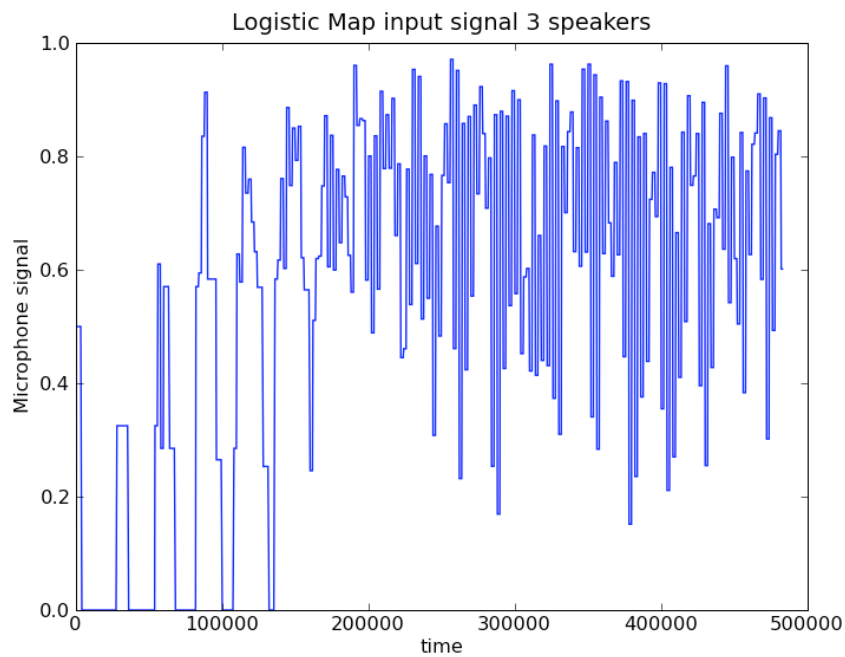
Duration of the ramped initial signal was doubled.  
Also note that the second chart was run longer.

## Logistic map findings

- When we pass our signal through the logistic map we have different findings
- We have another fixed point around  $r = 1.5$  (in my case), for values less it converges and greater than it explodes
- But there is a region in which the fixed point neither explodes or converges for a 3 speaker setup,  $1 < r < 1.4$





# 3 Logistic results:



Second graph was run 50 times longer than the first so we could view the final state would be more emphasized

## Some sounds

- I'm going to play a 3 speaker setup with just a constant being multiplying it 
- Next I will butcher a classic piece of rock n roll in the name of science 

# Questions

I would also like to thank  
Benny Brown and Ryan  
James for their help  
throughout the quarter